



# Spatial Analytic Modeling of the Health Effects of Traffic Emissions

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# What are the health-hazard associations in my data?

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- Health outcome: ER visits due to asthma among Alameda County, California residents enrolled in Medicaid and Kaiser Permanente; geocoded by residence address
- Hazard metric: Annualized average vehicle counts within a 300-meter radius of subject's residence

# The approach I learned in grad school:

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$$f(ER) = b_0 + b_{\text{exp}}x_{\text{exp}} + b_{\text{cov}}x_{\text{cov}} + \sum e_i$$

- $f(ER)$  is a function of the ER visit rate, such as the log or logit
- $x_{\text{exp}}$  is my exposure metric(s)
- $x_{\text{cov}}$  are my important covariates such as race or social class; these may not be of direct interest but their inclusion can profoundly influence the other parameters I calculate

# The approach I learned in grad school:

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$$f(ER) = b_0 + b_{\text{exp}}x_{\text{exp}} + b_{\text{cov}}x_{\text{cov}} + \sum e_i$$

- $\beta_{\text{exp}}$  are the parameters that I'm really interested in – they represent the associations between traffic and ER visits
- $\varepsilon_i$  are my residuals – in order for my parameter estimates to be valid, these must be evenly distributed around zero and their mean must be constant throughout Alameda County

# Traditional approach

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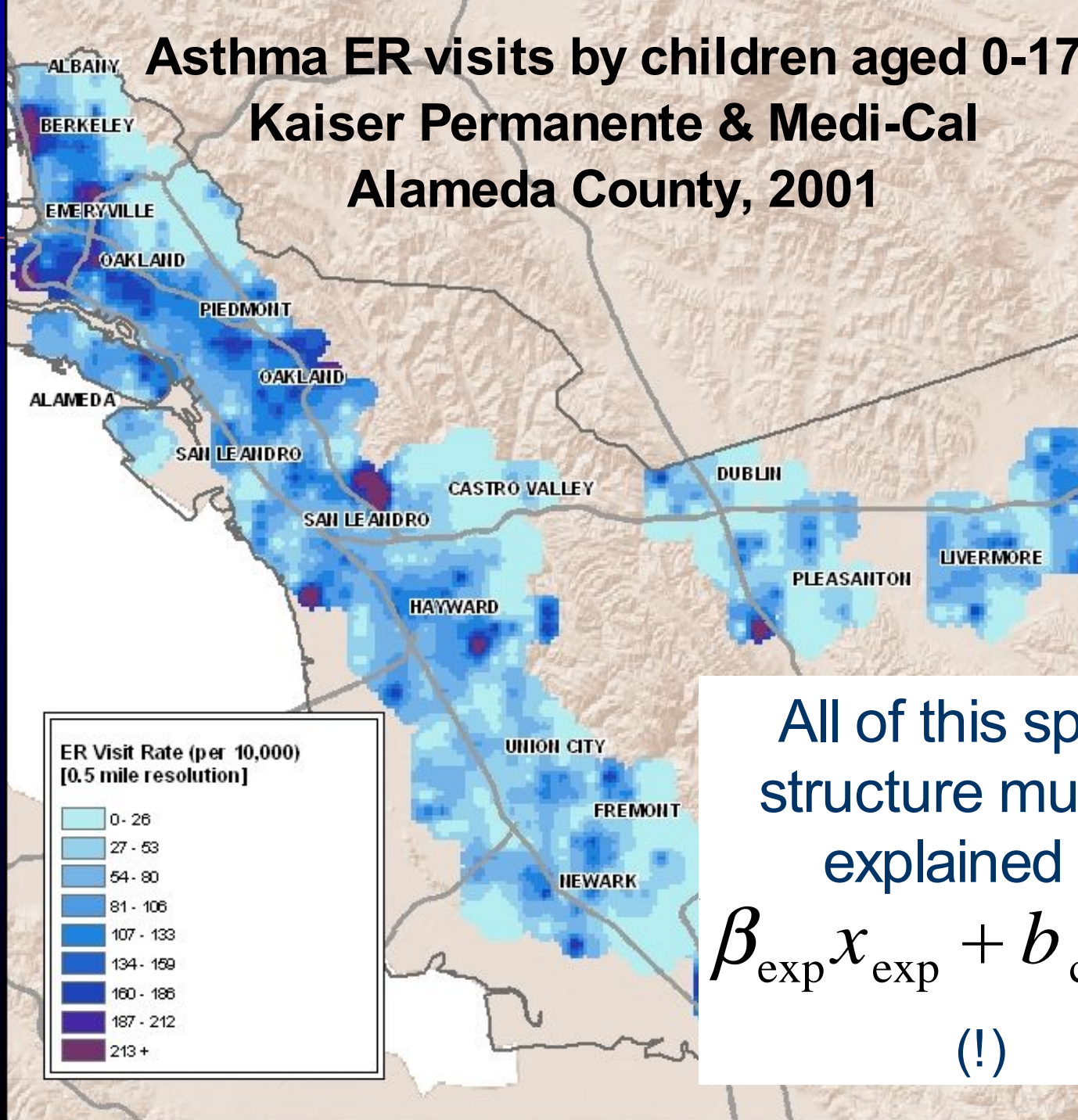
- Advantages:
  1. Understood by all professional audiences
  2. Common understanding about how regression results behave under different circumstances
  3. Many accessible software packages to choose from

# Traditional approach

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- Biggest disadvantage:
  - My assumption about the constant mean of the residuals (i.e. that all spatial structure is accounted for by  $x_{exp}$  and  $x_{cov}$ ) is extremely tenuous)

# Asthma ER visits by children aged 0-17 Kaiser Permanente & Medi-Cal Alameda County, 2001



All of this spatial  
structure must be  
explained by

$$\beta_{\text{exp}} x_{\text{exp}} + b_{\text{cov}} x_{\text{cov}}$$

(!)

# One solution

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$$f(ER) = b_0 + b_{\text{exp}}x_{\text{exp}} + b_{\text{cov}}x_{\text{cov}} + Sp(x, y)$$

- Allows for the spatial structure of your residuals in your regression model
- Any residual geographic variation not accounted for by your parameters is represented in the residual structure (“residual variation”)



# What can we use for $Sp(x,y)$ ?

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- Several options, although more have been developed for aggregated (regional) rather than point data
- Could be a description of how the covariance between neighboring points decreases with distance (Kriging)
- Another option is *locally weighted estimation* (loess) – the regression (usually linear or quadratic) of the outcome  $f(ER)$  as a function of the coordinates across the space

# Implications of including non-parametric terms

- $lo(x,y)$  will take on a different form depending on what you leave out of your model; in

$$f(ER) = \beta_0 + lo(x, y)$$

$lo(x,y)$  just depicts the spatial variation of  $f(ER)$

- If  $lo(x,y)$  adapts to fit whatever is left out of the model, will  $\beta_{exp}$  change depending on whether we include our covariates anymore?

$$f(ER) = \beta_0 + \beta_{exp}x_{exp} + \beta_{cov}x_{cov} + lo(x, y)$$

$$f(ER) = \beta_0 + \beta_{exp}x_{exp} + lo(x, y)$$

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Enough talk already,  
let's give it a shot!

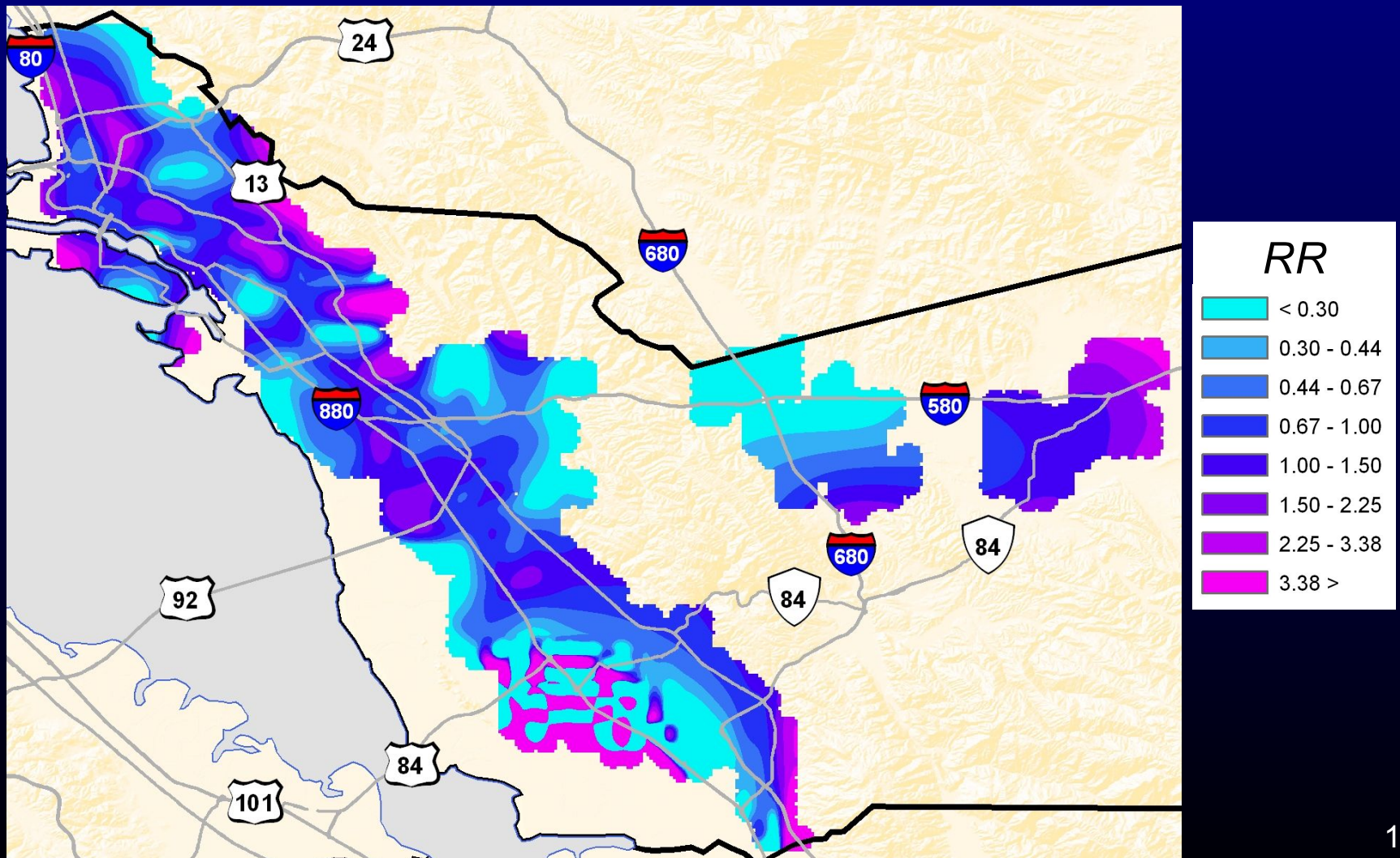
# Estimating $lo(x,y)$

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- At any given point, the nearest neighbors are included in the locally weighted estimation
- The fraction of all the data included as nearest neighbors is the *span*, which must be specified
- A small span gives a “bumpy” loess function, whereas a larger one will be smoother
- Still working out the bugs...

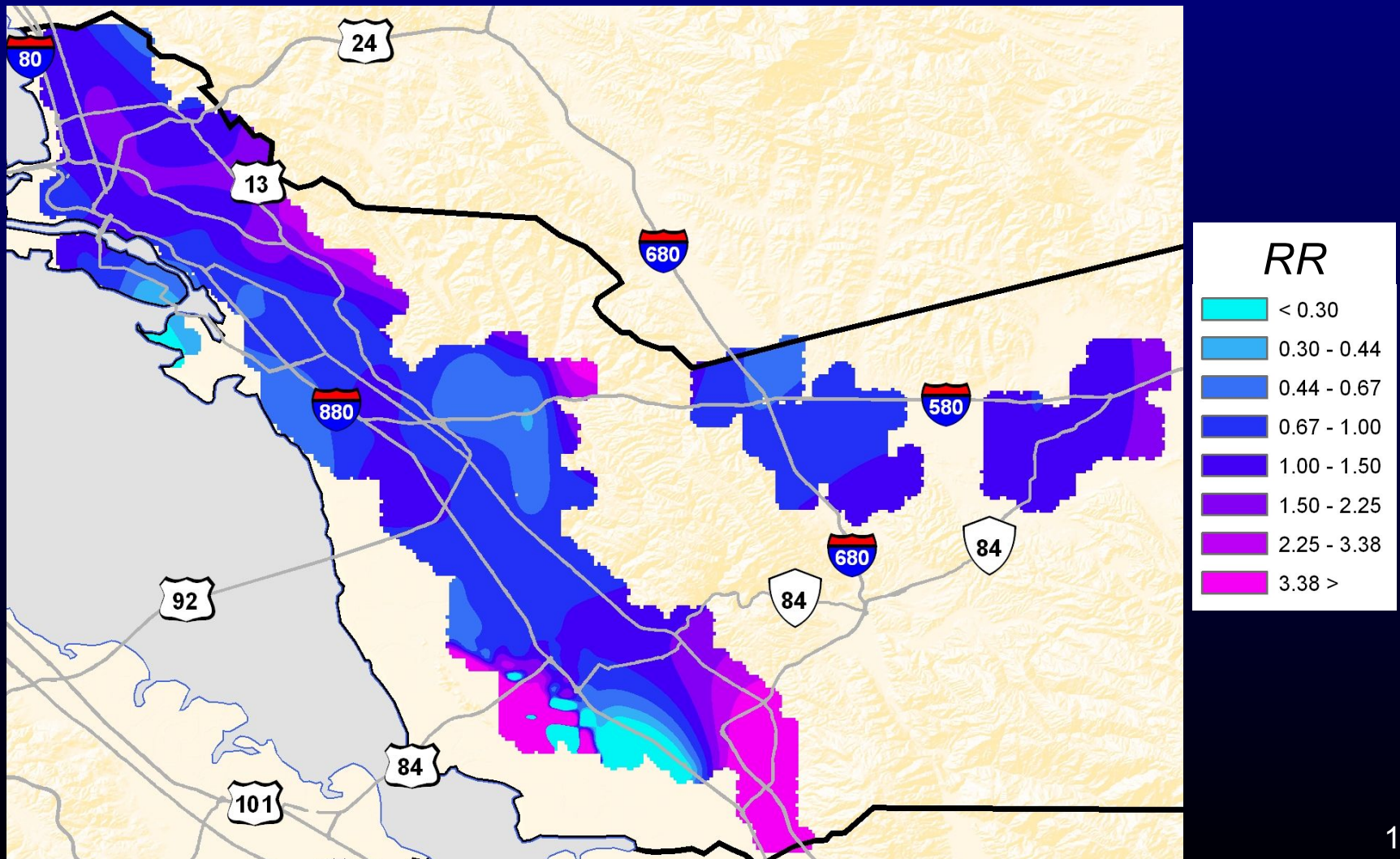
# Relative risk for ER visits, children 0-4

span=0.04



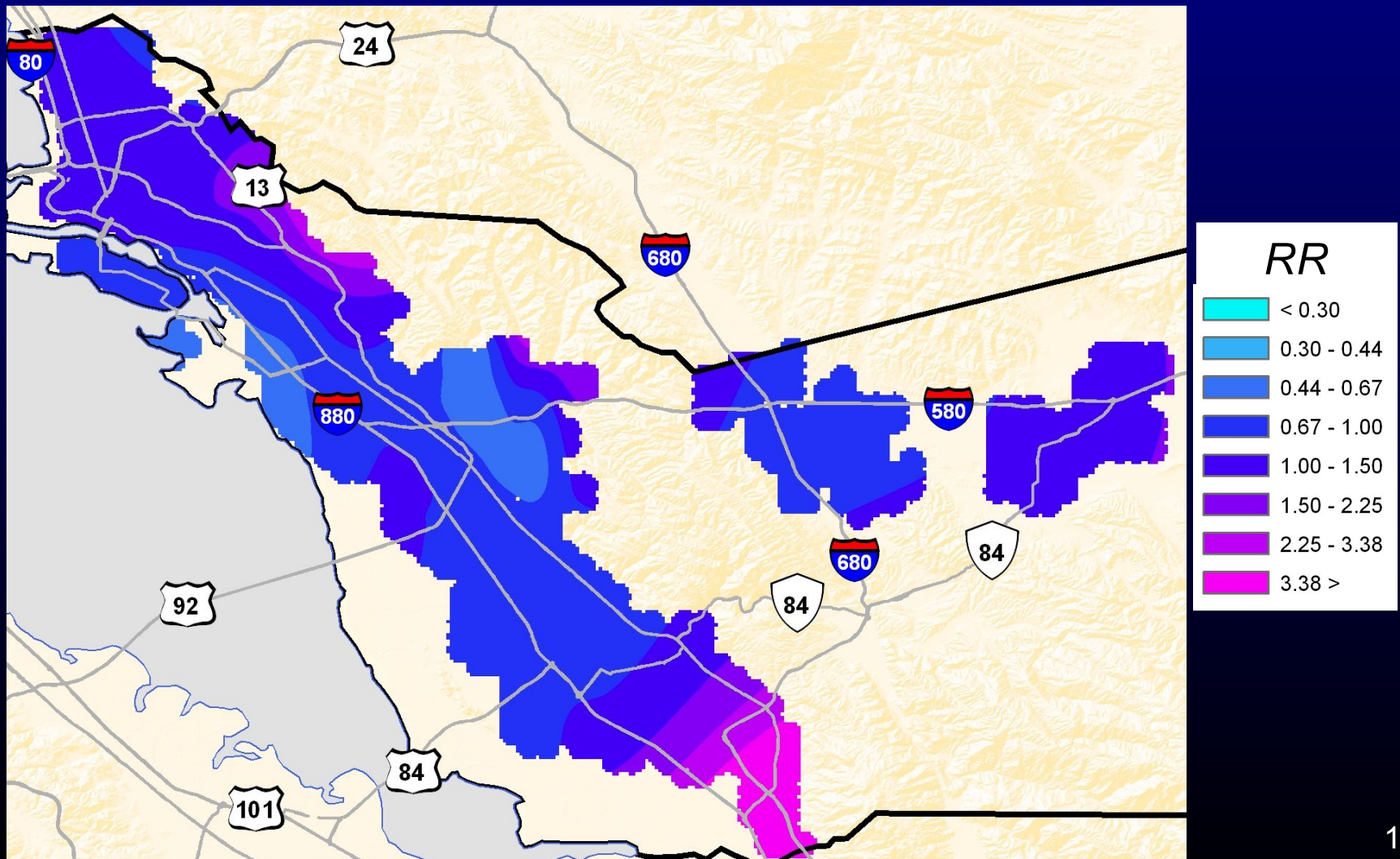


# Relative risk for ER visits, children 0-4 span=0.15



# Relative risk for ER visits, children 0-4

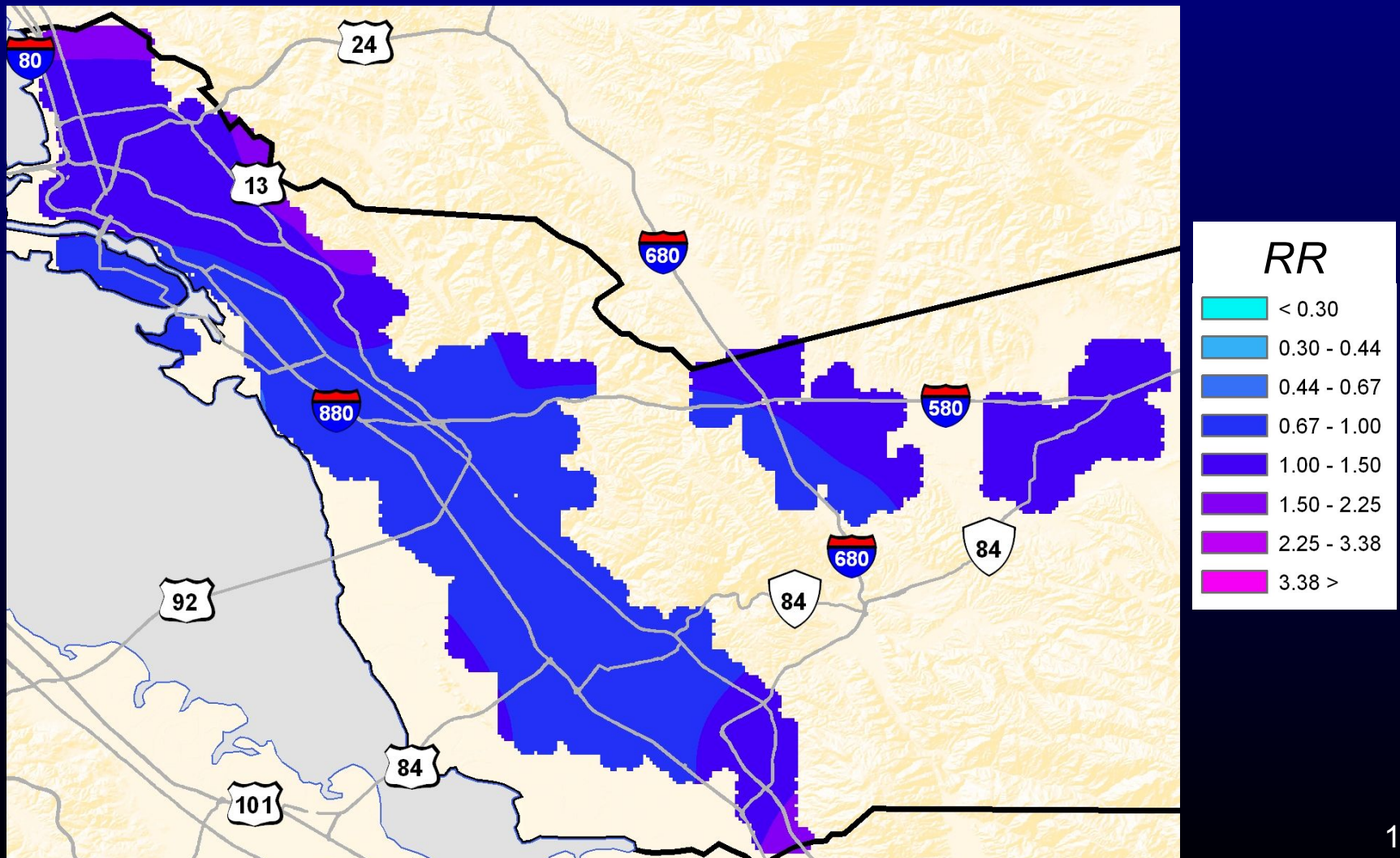
span=0.30





# Relative risk for ER visits, children 0-4

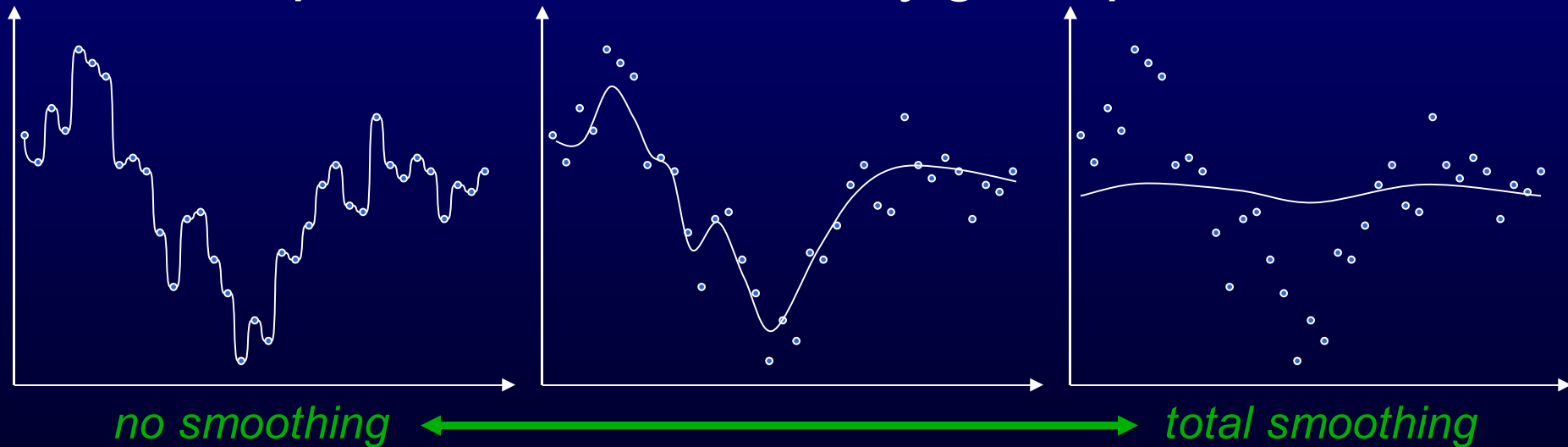
span=0.60





# How much smoothing is the “right amount?”

- This is really a question of how well the curve can predict the value of any given point



- Predictive power is maximized when Akaike's Information Criterion (AIC) is minimized
- Is this the best approach for all environmental epidemiology questions? All community stakeholder communications?

# Finding the minimum AIC can be a chore!

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- Large samples and/or large span values require heavy computing resources
- A random subset of the total sample may have a different span value associated with the AIC minimum

# Optimal span sizes for asthma ER visit data

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Age group	Available sample	Sample used	Span with $AIC_{min}$
0-4 years	44,526	(all)	0.078
5-17 years	78,433	25,000	1.000
18-44 years	197,856	25,000	0.077
45-64 years	111,235	25,000	0.141
65+ years	64,820	25,000	1.000

# Does this change anything?

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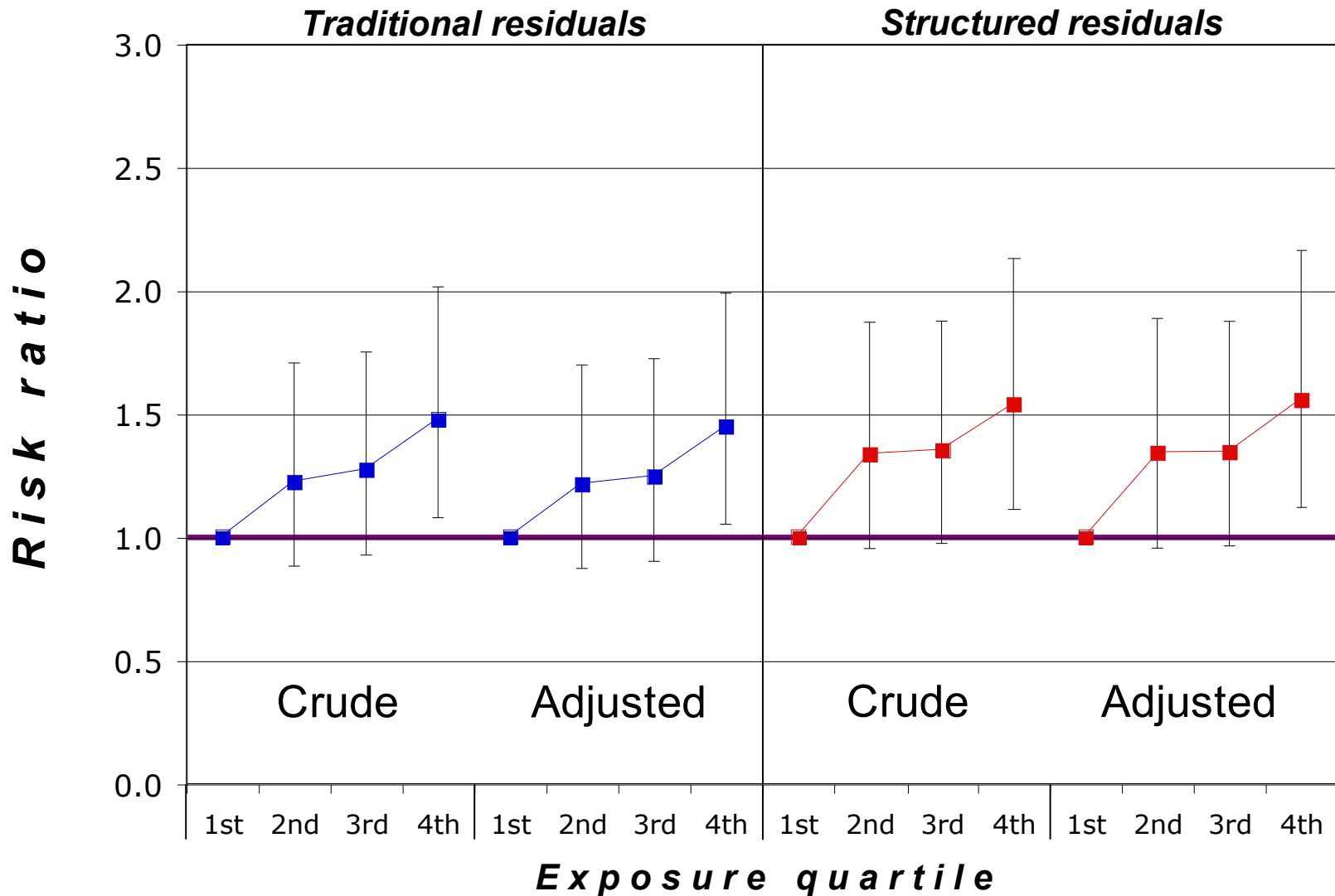
- Compared RR for ER visits among quartiles of exposure to our traffic metric (reference=1<sup>st</sup> quartile)
- Models:
  - Traffic only
  - Traffic + median family income of census tract + Medicaid status
  - Traffic ***with loess smooth term***
  - Traffic + median family income of census tract + Medicaid status ***with loess smooth term***

# Results

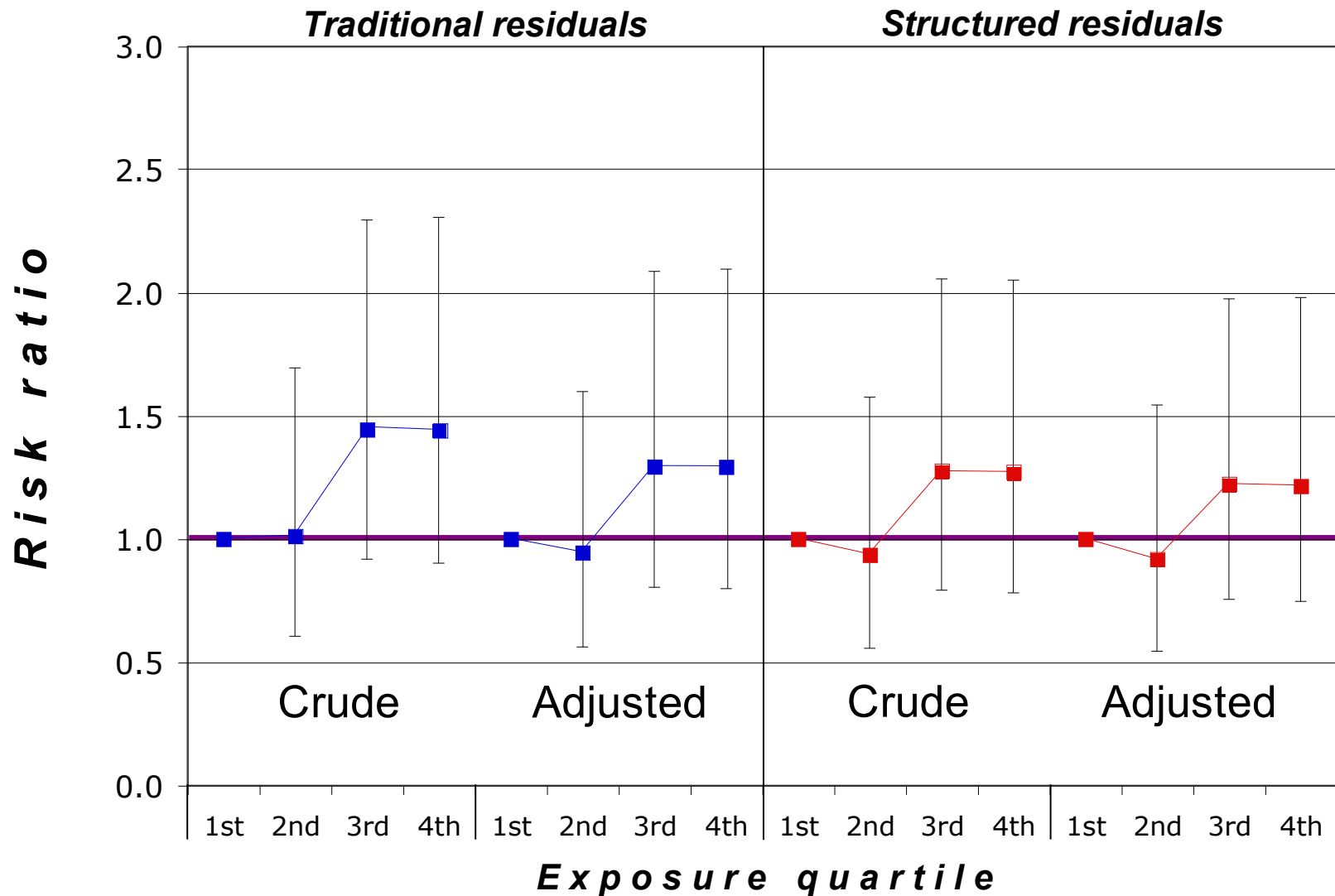
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- When smooth term included, the presence or absence of covariates in the model becomes mostly irrelevant (*for these data!*)
- Inclusion of the smooth term may make the pollution parameters...
  - More like the crude model
  - More like the adjusted model
  - Similar to neither model

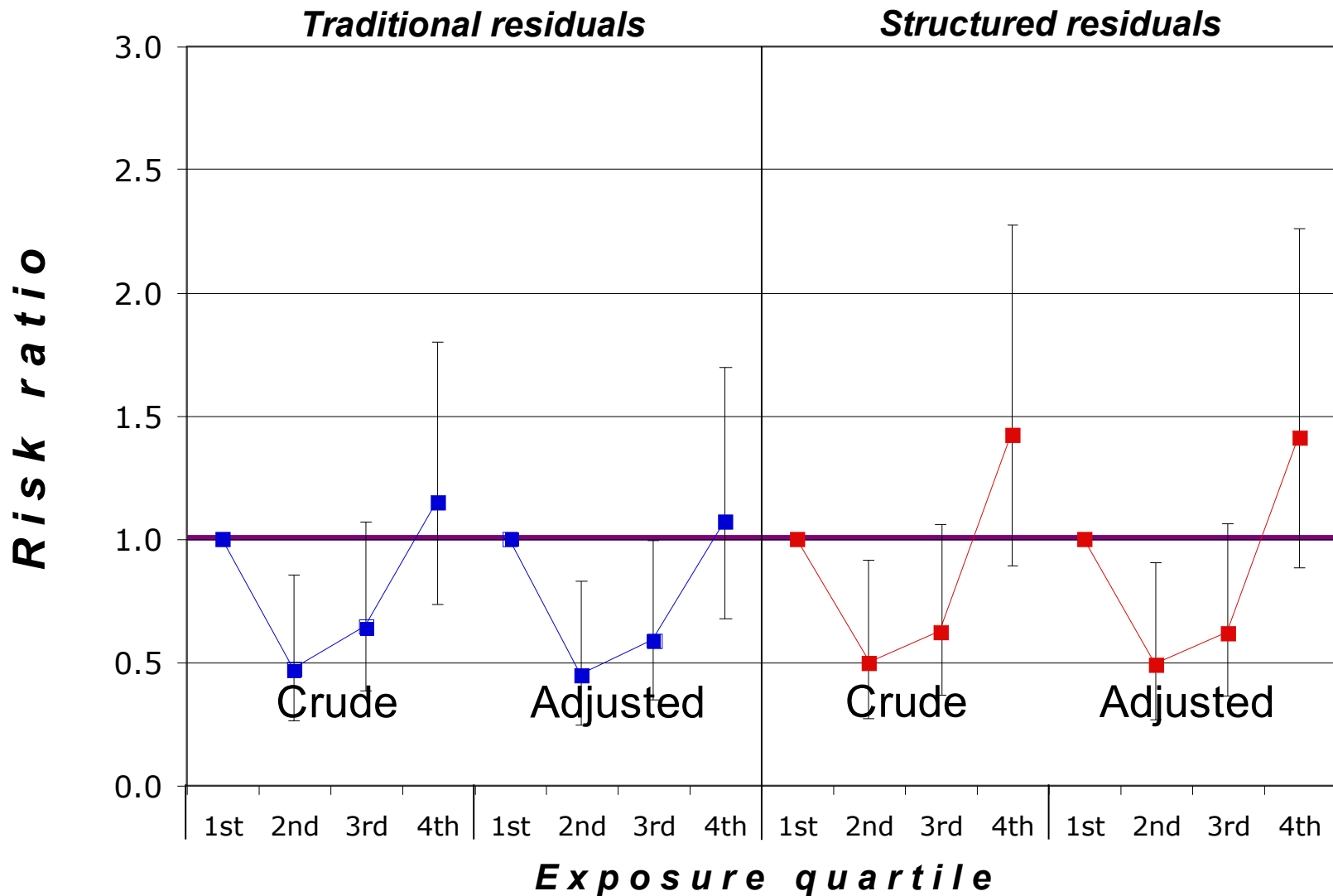
# ER visits: Ages 0-4



# ER visits: Ages 5-17

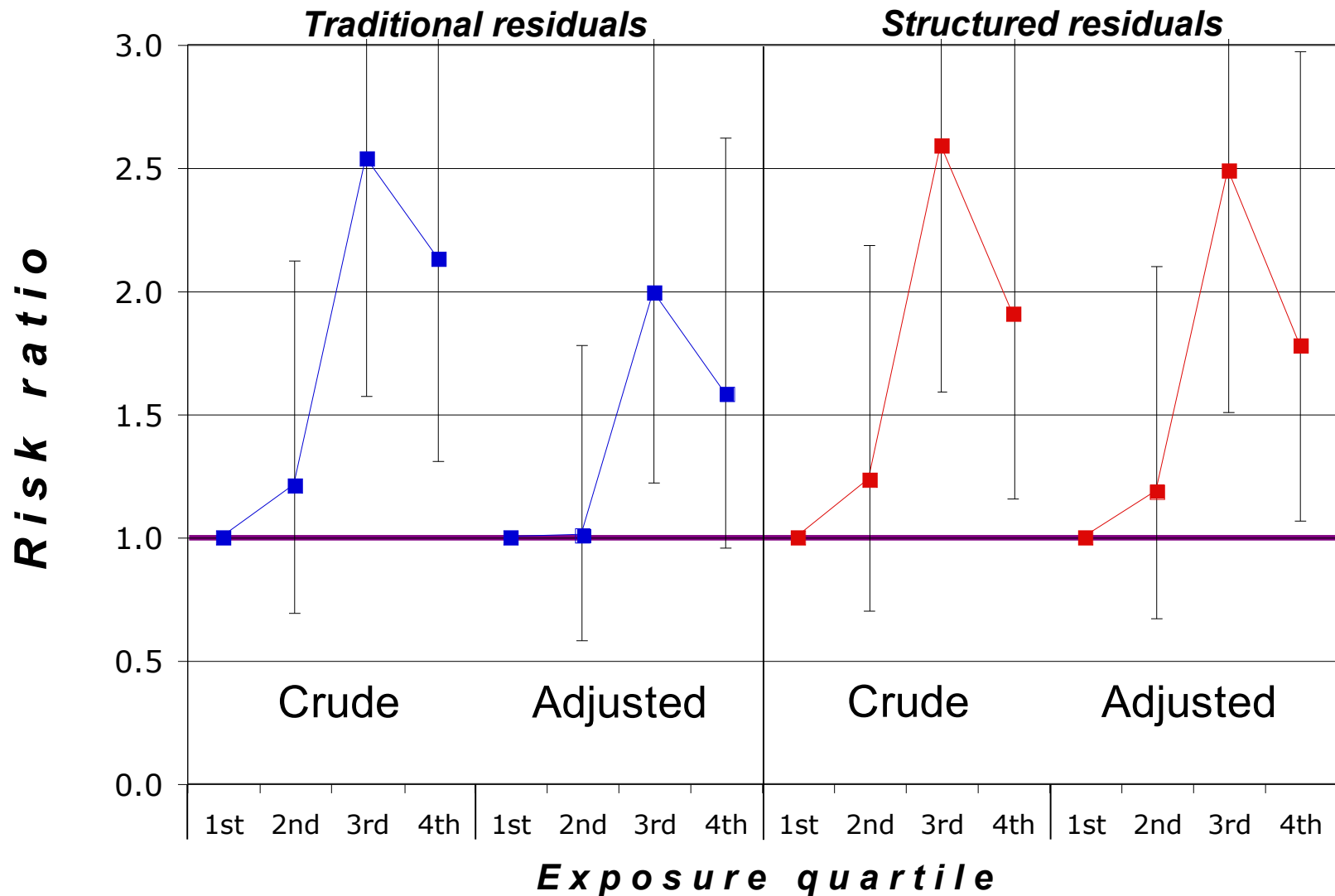


# ER visits: Ages 18-44

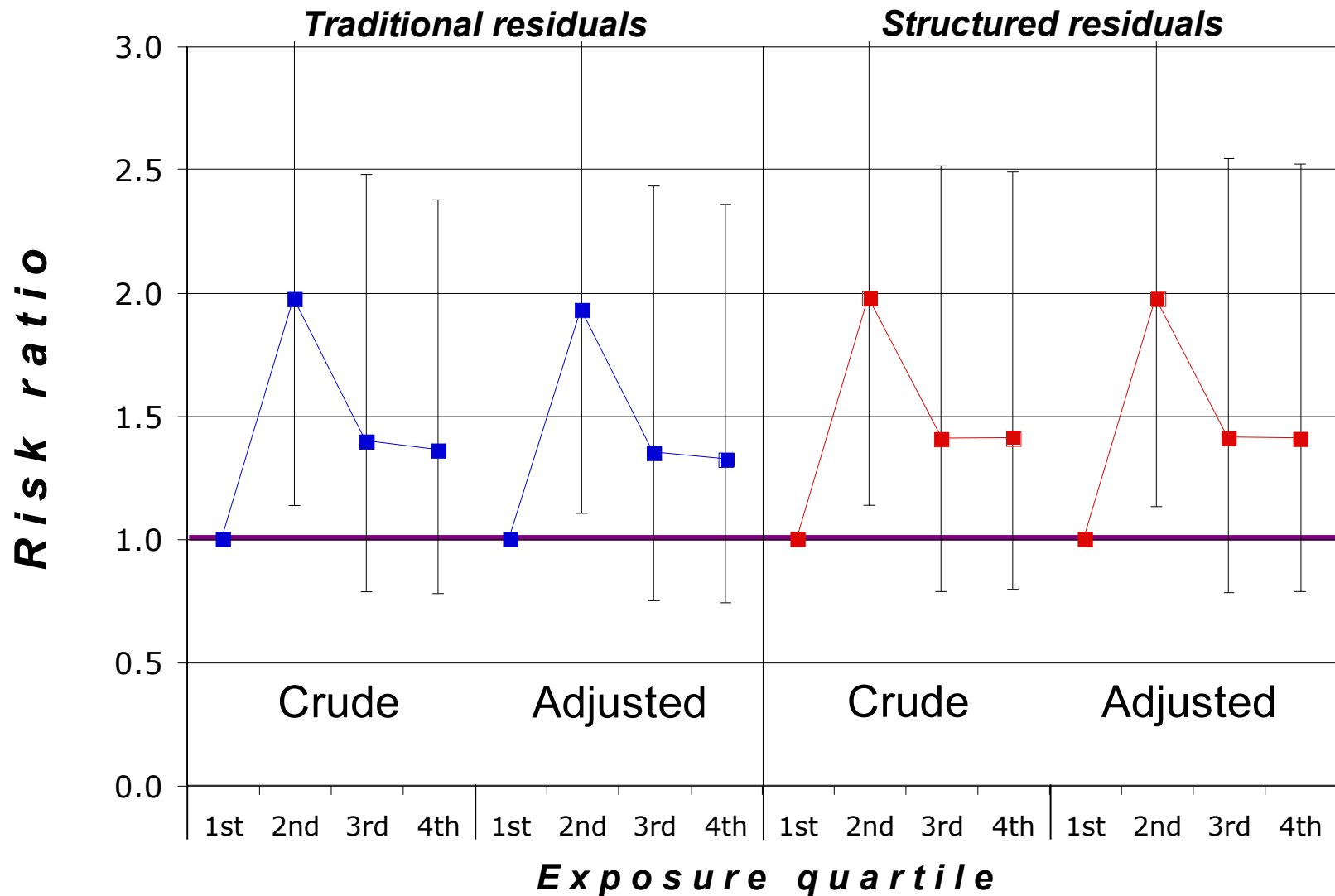




# ER visits: Ages 45-64



# ER visits: Ages 65+



# Lessons learned

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- Working with spatially structured residuals is not too difficult
- Big step is selection of span value – need to explore appropriateness of  $A/C_{min}$  criterion for Tracking purposes
- We need much more experience to understand:
  - The relationship between sample size and the span value for  $A/C_{min}$
  - How and when to graphically represent smoothed residuals
  - Under what circumstances it's ok to leave covariates out of our regression models

# Lessons learned

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- Often in Tracking we lack satisfactory covariate measures – if these can become irrelevant, this could be a big advantage
- Ability to visualize the residuals as maps may be a great tool on its own
  - Potentially objective criterion to determine appropriate resolution for maps
  - Ability to control for covariates to alter and view the resulting residual structure

# Thank you!

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The CDC Environmental Public Health  
Tracking Program

Lance A. Waller, PhD\*

*\*For invaluable comments and advice; any errors  
and misconceptions are my fault, not his!*